## TOPIC 20-4: DILATIONS AND SIMILARITY

Recall... A DILATION produces a figure that is similar to the original figure given (reduction/enlargement).

The SCALE FACTOR tells you how much larger or smaller the dilated figure is compared to the original.

In a reduction, the scale factor is $\qquad$ .

In an enlargement, the scale factor is $\qquad$ .

EXAMPLE 1: Use "slope" to produce a dilation of $\triangle A B C$ with a scale factor of 2 using the origin as your center of dilation.

$A^{\prime}(\square$ , _()
$\qquad$ ,

C' $\qquad$ ,


EXAMPLE 2: Use "slope" to produce a dilation of $\triangle A B C$ in Example 1 with a scale factor of 2 using $B$ as your center of dilation.
$\qquad$ , $\qquad$
$\qquad$ ,

$\qquad$


EXAMPLE 3: $\triangle \mathrm{ABC}$ has coordinates at $\mathrm{A}(0,3), \mathrm{B}(3,6)$, and $\mathrm{C}(6,0)$. Give the new coordinates of $\triangle A B C$ after it has been dilated with a scale factor of $2 / 3$. Use the origin as your center of dilation.
 There is a second method for dilating a figure when the slope cannot be determined:

EXAMPLE 4: Dilate the $\triangle A B C$ below. Use a scale factor of $2 . T$ is the point of dilation.


EXAMPLE 5: $\Delta$ RST has vertices $\mathrm{R}(1,2), \mathrm{S}(1,4)$ and $\mathrm{T}(-3,4)$. Rotate $\Delta$ RST $90^{\circ}$ counterclockwise about the origin and then reflect it across the $y$-axis.


