## TOPIC 13-1: LINES THAT INTERSECT CIRCLES

EXAMPLE 1: $Q$ is the center of this circle.
a) Name the circle:
b) Name a radius shown: $\qquad$
c) What is the length of any radius of this circle?

d) What would be the length of any diameter of this circle?
e) Name all the interior points shown: $\qquad$
f) Name all the exterior points shown: $\qquad$

Some other components of a circle that you need to be able to identify...

| TERM: |
| :--- |
| Chord |
| Secant |

Tangent

## Radius

## Diameter



EXAMPLE 2: Name each of the following:
a) Center: $\qquad$
b) All Radii: $\qquad$
c) All Chords: $\qquad$
d) All Secants: $\qquad$
e) Diameter: $\qquad$
f) Tangent: $\qquad$

g) Point of Tangency: $\qquad$
h) Interior Points:
i) Exterior Points: $\qquad$


EXAMPLE 3: Refer to $\odot \mathrm{C}$ with tangent $\overline{A B}$. Find ' x '.


## THEOREM:

If two segments from the same EXTERIOR point are tangent to a circle, then they are congruent.

EXAMPLE 4: Find the value of ' $x$ '.


When circles are inscribed in polygons, the polygons are said to be CIRCUMSCRIBED polygons.

In such polygons, each side is TANGENT to the circle.

EXAMPLE 5: $\Delta$ TRW is circumscribed about $\odot A$. If the perimeter of $\Delta T R W$ is $50, T K=3$, and $W M=9.5$, find $T R$.


TR = $\qquad$

EXAMPLE 6: Given that $\mathrm{OA}=12, \mathrm{OB}=6$, and $\mathrm{m} \angle \mathrm{BAC} \neq 60^{\circ}$, find the following.
a) $\mathrm{OC}=$ $\qquad$
b) $E D=$ $\qquad$
c) $\mathrm{AB}=$ $\qquad$
d) $A C=$ $\qquad$
e) $\mathrm{m} \angle \mathrm{BAO}=$ $\qquad$
f) $\mathrm{m} \angle \mathrm{OCA}=$ $\qquad$

g) $\mathrm{m} \angle \mathrm{AOC}=$ $\qquad$
h) $m \angle E O C=$
i) $E A=$ $\qquad$

EXAMPLE 7: In the figure below, $\overleftrightarrow{\boldsymbol{R P}}$ is tangent to circle $Q$ at $R$. Find the radius of circle Q .

$r=$
EXAMPLE 8: Find the indicated values.
$\mathrm{x}=$ $\qquad$
$\mathrm{m} \angle \mathrm{ABC}=$ $\qquad$


BC = $\qquad$
Diameter of circle C = $\qquad$

EXAMPLE 9: Find the perimeter of the polygon that circumscribes the circle.

$P=$ $\qquad$

